Dynamic optimum dead time in piezoelectric transformer-based switch-mode power supplies

Marzieh Ekhtiari, Student Member, IEEE, Thomas Andersen, Michael A. E. Andersen, Member, IEEE, and Zhe Zhang Member, IEEE

Abstract—Soft switching is required to attain high efficiency in high-frequency power converters. Piezoelectric transformer-based converters can benefit from soft switching in terms of significantly diminished switching losses and stresses. Adequate dead time is needed in order to deliver sufficient energy to charge and discharge the input capacitance of piezoelectric transformers in order to achieve zero-voltage switching. This paper proposes a method for detecting the optimum dead time in piezoelectric transformer-based switch-mode power supplies. The provision of sufficient dead time in every cycle of the switching period results in the quick start up of resonant current inside the transformer. The new method is implemented by dynamically detecting the optimum dead time for each resonant cycle and results in reduced energy loss, and consequently, increased efficiency in the converter during initialization time and steady-state operation. The theory of optimum dead time operation is also discussed in this paper. Experimental results and simulation are provided to show the implementation of the concept.

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even those from the same batch of design and production, due to the many parameters involved, e.g., oven temperature and polarization. Therefore, dynamic detection of dead time in PT-based converters is very important.

Several attempts have been made to minimize or eliminate the effect of dead time in power converters [12]–[18]. This effect is known as a distortion of the fundamental output voltage in the voltage source inverters (VSI) in pulse-width modulation (PWM) inverters [12], [13]. The relevant methods have been implemented by detecting the load current in the output of half-bridge switching, which is inapplicable to PT-based SMPS. In PT-based converters, the phase shift in the current is effected by the piezoelectric transformer. Moreover, the input capacitor of the PTs is charged or discharged during the dead time, which renders this situation different from those involving other resonant converters.

This study shows the dependence of ZVS on optional DT in piezoelectric converters, and proposes a method to detect the optimum DT for any type of PT. The outline of the remainder of this study is as follows: Section II is dedicated to a description and analysis of DT and its need in PT-based SMPS. Principle of DT is described in Subsection II-A. Furthermore, the behavior of inductorless, half-bridge, PT-based SMPS is analyzed in Subsection II-B. The idea of optimum DT is introduced in Subsection II-C and compared with prior relevant research. Following this, the implementation of the dynamic DT operation is discussed in Subsections III-A and III-B. Section IV describes experiments and simulation to show the effectiveness of the proposed method in achieving optimum DT. The final section contains the conclusions of this research.

II. INVESTIGATION AND ANALYSIS OF DEAD TIME IN PT-BASED CONVERTERS

A. Principle of dead time (DT)

In SMPS, switches are semiconductors with a built-in delay time. This delay time applies in the gate voltage to drive signal to start up the switching. Typically, the turn-on and turn-off delay times are not equal. Therefore, a certain amount of delay is afforded to the gate drives to prevent the simultaneous turning on of the switches [12]. Therefore, dead time is defined as the interval during a switching transition when both metal-oxide-semiconductor field-effect transistors (MOSFETs) are turned off. The dead time needs to be as short as possible to maintain an accurate low-distortion output signal in audio amplifiers [12], [19], in addition to maintaining a maximum time for switches and reducing energy loss. In PT-based SMPS, converters need to provide reactive energy to the input capacitor of the PT. However, the DT provides an appropriate interval to charge and discharge this input capacitor. In LCC resonant converters, only the output capacitances of the MOSFETs, which are typically on the order of hundreds of picofarads, should be charged by resonant current [4], [20]. However, for PT-based converters, the output capacitors of both MOSFETs and the input capacitor of the PT should be charged by resonant current to raise the voltage from 0 (V) to a positive rail $V_{DC}$. Fig. 1 shows an inductorless half-bridge PT-based converter [21] and an LCC resonant converter [22]. Since the input capacitance of the PTs are normally in the range of nanofarads, longer time is needed for the resonant current to provide sufficient charge to the capacitors, which means that the DT in PT-based converters is larger than that in LCC resonant converters. The challenge is to keep the DT as short as possible in order to increase efficiency. Furthermore, this will prolong the injection of energy to the transformer during the turn-on time of the high-side switch.

B. Operating modes

In the remainder of this section, the behavior of inductorless PT-based SMPS, when ZVS is attained, is discussed in detail. Eight operating modes divided into four intervals are analyzed, where each of these four intervals consists of two subintervals. Therefore, waveforms in a switching cycle are represented as

$$t_0 - t_1$$,

where $t_0$ represents the switching voltage $v_F(t)$ and the resonant current $i_{res}$ waves during a switching cycle in the steady state where ZVS is achieved. Time points in Fig. 2 indicate $t_0$: $i_{res}$ changes direction from positive to negative values; $t_2$: low-side switch, $S_2$, is turned off; $t_4$: $v_F(t)$ reaches the positive rail, $V_{DC}$; $t_5$: body diode of the high-side switch, $S_1$, starts to conduct; $t_6$: high-side switch, $S_1$, is turned on; $t_{24}$: $i_{res}$ changes direction from negative to positive values; $t_8$: high-side switch, $S_1$, is turned off; $t_{10}$: $v_F(t)$ reaches the negative rail; $t_{11}$: body diode of the low-side switch, $S_2$, conducts; $t_{12}$: low-side switch, $S_2$, is turned on. Fig. 3 shows the eight operating modes.

The following analyses are provided based on these assumptions:
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Fig. 2: Steady state switching voltage and resonant current waveforms for inductorless PT-based SMPS where ZVS is achieved.

- The converter’s input capacitor is considered a summation of the input capacitance of the PT and the output capacitance of both MOSFETs: $C_{in} = 2C_{os} + C_{dt}$
- Fundamental resonance due to the high quality factor of the PT.

Mason’s lumped circuit is used to represent the operation of the converter in terms of resonant current and switching voltage. Resonance current is also shown in order to investigate the operating modes in detail. Since the PT behaves as a high Q-band pass filter, the resonant current is considered as the sinusoidal wave described as:

$$i_{res}(t) = I_{pk} \sin(\omega t - \phi_I)$$  \hspace{1cm} (1)

where $I_{pk}$ is peak of the resonant current, $\omega$ is the angular switching frequency, and $\phi_I \in [0, \pi]$ is the current phase angle.

The output capacitors $C_{os}$ of both MOSFET are considered in the input capacitor of the PT, since the parasitic capacitance of MOSFETs is typically considerably lower than $C_{dt}$. Furthermore, $C_{dt}$ and $C_{os}$ are charged and discharged together in the DT. Moreover, the DT is studied in detail in this section.

1) $S_2$ is on: The time interval is $t_12 - t_2$. The input capacitor of the PT is fully discharged and short-circuited through the low-side switch. At $t_{12}$, the low-side MOSFET is turned on, and the resonant current freewheels through the low-side switch and changes direction at $t_{11}$. A minor difference in voltage occurs across the switch as the low-side switch is turned on. At $t_{11}$, the value of the resonant current crosses zero and changes direction from forward to reverse. Therefore, the converter’s operation spans across two subintervals. Fig. 3a and Fig. 3b show the equivalent circuit and current flow in this interval, respectively. The following equation represents the switching voltage in this interval:

$$v_F(t) = 0$$  \hspace{1cm} (2)

2) Both switches are off: The subinterval is $t_2 - t_5$. At $t_2$, the low-side switch is turned off. In this interval, both switches are off, and the resonant current retains its direction in the reverse orientation through the PT input capacitor and charges it to a voltage slightly higher than the DC-link until the diode of the high-side body starts to conduct at $t_5$. Fig. 3c shows the equivalent circuit and current flow in this interval. The following equation represents the waveform:

$$v_F(t) = \frac{I_{pk}}{C_{in}} (\cos(\omega t - \phi_I) - \cos(\omega t_2 - \phi_I)) + 0$$  \hspace{1cm} (3)

The subinterval is $t_5 - t_6$. At $t_5$, the high-side body diode starts conducting the reverse resonant current. Therefore, the switching voltage is limited to a sum of the diode voltage and the DC rail voltage. This interval is not required while the PT input capacitor is sufficiently charged for soft switching. Fig. 3d shows the equivalent circuit and the current flow in this interval. The voltage in this interval is expressed as:

$$v_F(t) = V_{DC} + V_d$$  \hspace{1cm} (4)

where $V_{DC}$ is the input voltage and $V_d$ is the voltage drop across the body diode of the MOSFETs.

3) $S_1$ is on: The time interval is $t_6 - t_8$. The high-side MOSFET is turned on. The resonant current freewheels through the high-side switch and is provided to the PT. There occurs a minor voltage difference across the switch as the high-side switch is turned on. At $t_{2t}$, the resonant current has crossed zero and changes direction from reverse to forward. Therefore, the converter’s operation is shown in two subintervals. Fig. 3e and Fig. 3f show the equivalent circuit and the current flow in this interval. The switching voltage is described as:

$$v_F(t) = V_{DC}$$  \hspace{1cm} (5)

4) Both switches are off: The time interval is $t_8 - t_{12}$. At $t_8$, the high-side switch is turned off. In this interval, both switches are off. The resonant current retains its direction in the forward orientation by being fed through the PT input capacitor. Therefore, the PT input capacitor is discharged, and the voltage across approaches a value slightly below zero until the low-side body diode conducts at $t_{11}$. Fig. 3g shows the equivalent circuit and the current flow in this interval. The switching voltage in this interval is represented as:

$$v_F(t) = \frac{I_{pk}}{C_{in}} (\cos(\omega t - \phi_I) - \cos(\omega t_{11} - \phi_I)) + V_{DC}$$  \hspace{1cm} (6)

The time interval is $t_{11} - t_{12}$. At $t_{11}$, the low-side body diode begins conducting the forward resonant current. Therefore, the switching voltage is limited to a value below zero, which is equal to voltage across the body diode of the MOSFET. This time interval is undesirable while the PT input capacitor is already completely discharged. Fig. 3h shows the equivalent circuit and the current flow in this interval, where

$$v_F(t) = -V_d$$  \hspace{1cm} (7)

C. Past research and DT optimization

As mentioned in Subsection II-A, it is important to have sufficient DT between the on times of switches. This dead time can generally be shorter or longer than required, which causes hard switching. Fig. 4 shows these situations in the steady state. In order to benefit from soft switching, DT should
be properly applied [3]. To attain ZVS, the DT should be appropriately considered to charge/discharge the input capacitor of the PT to the positive/negative rails. If switches are turned on before the input capacitor completely charges/discharges, hard switching occurs, as shown in Fig. 4a. Moreover, the case where the DT is longer than required is shown in Fig. 4b. In this case, when the resonant current changes direction, the body diodes do not conduct. Therefore, $C_{d1}$ starts discharging at $t_{2I}$ or charging at $t_{1I}$ before the switches are turned on [23].

In past research, the DT was taken to be a fixed value in order to ensure that the ZVS was obtained in steady-state operation [24]–[27], and is typically sufficient. Moreover, with a fixed DT during initialization, the build up of resonant current is delayed, and it takes longer for the circuit to reach the steady state. The reduction in the start-up time may not be considerable in general, but becomes important when the...
converter needs to be frequently turned on and off, e.g., when burst-mode control is used to control the converter’s output voltage [25], [28], [29]. In order to avoid both the cases shown in Figs. 4a and 4b and select a sufficiently long DT, the DT is optimized.

The idea implemented in this paper is to optimize dead time. In order to do so, the dead time should be detected and set dynamically in every cycle. In this method of optimization, during each switching cycle, switches are turned on when the switching voltage reaches its minimum or maximum value in start-up time, or when it reaches the positive or negative rails in the steady-state period. Fig. 4c shows waveforms when a converter in the steady state has been optimized.

D. Analysis of optimum DT

This subsection shows the dependence of optimum dead time on the resonant current, which is imposed by the resonant tank of the PT. Therefore, the switching voltage is analyzed during DT. In an inductorless PT-based SMPS, DT is partially dependent on the amount of energy that the resonant tank provides to the input capacitor of the PT [11]. Hence, when both switches are off and the input capacitor of PT starts charging/discharging, the time taken by both switches are off and the input capacitor of PT starts charging/discharging, the time taken by

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where \( \phi_{\text{ODT}} \in [0, \pi] \). The dependence of the ODT on resonant current \( I_{pk} \) and \( \phi_I \) shows that it is difficult to analytically calculate the ODT, even for a specific PT and a specific load. However, the amplitude of the resonant current and its phase angle varies with the temperature of the PT [30]. The method proposed in this paper to detect the ODT is a simple solution that works by varying the temperature and load of the PT.

III. OPTIMUM DEAD TIME (ODT)

A. Dynamic DT operation

As shown in Fig. 2, there are two DT periods in each switching cycle corresponding to time intervals \( t_2 - t_6 \) and \( t_6 - t_{10} \), as described in Subsection II-B. Having two subintervals \( t_2 - t_4 \) and \( t_6 - t_{10} \) is necessary in order for the voltage to reach across \( C_{d1} \) to the rails to attain ZVS. In effect, optimum DT is defined as the minimum time required for the switching voltage \( v_F(t) \) to reach from one DC rail voltage to another. Therefore, by detecting time points where the switching voltage reaches zero and the positive rails, time intervals \( t_4 - t_6 \) and \( t_{10} - t_{12} \) can be reduced to the minimum possible. On the contrary, optimizing time intervals \( t_2 - t_4 \) and \( t_6 - t_{10} \) occurs by detecting \( t_4 \) and \( t_{10} \), shown in Fig. 2, in order to turn on the high-side and low-side switches at these time points, respectively. This yields optimum dead time. The ODT leads to a quick start up of the resonant current by maximizing the on time of switches to
energize the resonant tank and build up the resonant current. This consequently increases the converter’s efficiency.

Improvement in efficiency by applying the ODT for the step-up converter with a capacitive load is shown in Fig. 6. Fig. 7 shows the DT period by waveform and an equivalent circuit of the inductorless PT-based converter. The load was considered the PT’s resistive matched load with the relation

\[ R_m = \frac{1}{\omega C_{ij}} \]  

(10)

In a DT interval, the PT’s input capacitor was charged/discharged. In order to obtain the shortest period for switching voltage \( v_F(t) \) to reach the DC-link in the DT interval, a novel idea was proposed and implemented in this paper. For example, the DT interval during which \( C_{in} \) is charged \((t_2 - t_0)\) is explained in detail. At the start of the DT interval, the resonant current has a negative value but its amplitude is dependent on the phase shift imposed by the transformer. For simplicity of understanding, the best case is explained in this section in detail, where \( \phi_t = \pi/2 \). If \( ODT > \pi/2\omega \), the resonant current changes its direction from negative to positive, and causes the discharge of \( C_{in} \) in order to provide energy back to the resonant tank, as shown in Fig. 7e. If the energy of the resonant tank is supplied through the DC-link by turning on the high-side switch, it prevents \( C_{in} \) from being discharged (Fig. 7f). If \( C_{in} \) is not discharged in \( t_2 - t_0 \) or charged in \( t_8 - t_{11} \),

- Lower switching losses, since \( \Delta V_{th} < \Delta V_{b} \). This results in higher efficiency.
- More energy injected to the PT for the build up of the resonant current to reach the steady state. This causes resonant current of higher amplitude in each cycle as well as shorter start-up time. The following shows the parameterized energy saved by applying ODT:

\[ \Delta E = \Delta E_b - \Delta E_a \]  

(11a)

where,

\[ \Delta E_b = \frac{1}{2} C_{in} V_{DC}^2 \]

\[ \Delta E_a = \frac{I_{pk}^2}{4 C_{in}} \left[ \Delta DT + \frac{1}{2} \sin(2\Delta DT) \right] \]  

(11b)

\[ \Delta E_a = \frac{I_{pk}^2}{4 C_{in}} \left[ \Delta DT + \frac{1}{2} \sin(2\Delta DT) \right] \]  

(11b)

B. Implementation of the proposed method

By measuring input voltage of the PT and comparing it with the rail voltages (zero/positive), the switches should be turned on, which is satisfactory for the steady-state period. The start up time or the initialization time specifies the period from when the converter turns on to when the resonant current in the PT reaches the maximum amplitude in its operating point. In this period, the resonant current increases continuously but does not reach the highest possible amplitude. Therefore, the input capacitor is not charged up to the positive rail or discharged down to zero. Fig. 9 shows the states that may occur for the voltage and current waveforms in the initialization period. Accordingly, the two states may occur during the DT in the start up. In one case, the switching voltage may pass through the local maximum/minimum before switches are turned on. Fig. 9b shows the switching voltage and the resonant current for this case. Extrema occur in \( v_F(t) \) because the resonant current changes its direction during the dead time. Therefore, it causes the input capacitor to charge and discharge.

In the other case, the switching voltage continues to increase/decrease until the switches are turned on. This means that the switching voltage will not pass through any local extrema. In this case, the amplitude of the resonant current is not sufficiently high to charge the input capacitor. This situation is shown in Fig. 9a. In the meantime, the resonant current changes direction during a switching cycle. The difference between the cases, which may originate in the start-up period, is the amplitude of the resonant current. The resonant current starts to build up once the converter is turned on, and grows in amplitude until it reaches the steady state. In the steady state, the amplitude of the resonant current is constant under the same conditions, i.e., input voltage, temperature, and load. At the beginning of the initial period, the amplitude of the resonant current is very low. Hence, there is insufficient energy injected into the input capacitor of the PT during the dead time to charge the \( C_{in} \) to the DC-link voltage. Both cases are shown in Fig. 9a and Fig. 9b. The best condition for the charge of \( C_{in} \) is shown in Fig. 9c, where the resonant current is near its peak when the dead time starts, and this means that \( \phi_t = \pi/2 \) is related to \( t_2 = 0 \). Therefore, \( v_F(t) \) can be simplified as:

\[ v_F(t) = \frac{I_{pk}}{C_{in}} \sin(\omega t) \]  

(12)

Consequently, the total amount of energy provided to \( C_{in} \) during dead time is defined as \( \Delta t = t_6 - t_2 \).

\[ \Delta E = \frac{1}{2} C_{in} V_{F_{(rms)}}^2 |\Delta t| = \frac{I_{pk}^2}{4 C_{in}} \left(1 - \frac{1}{2\omega \Delta t} \sin(2\omega \Delta t)\right) \]  

(13)

Therefore, it is important to turn on switches at the zero crossing of the resonant current, as shown in Fig. 9c. Consequently, in order to optimize dead time either in the initialization state or in the steady state, switches should be turned on when the switching voltage reaches the rails (positive/zero) or resonant current crosses zero. If none of these signals are detected, the...
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C. ODT circuit description

Fig. 10 shows a circuit block diagram of the implemented optimum DT. The circuit consists of two parts: the "steady state ODT detector" detects the ODT in the steady state, and the "extrema detector" identifies the ODT during the initialization period. For the steady state, the switching voltage is compared to the positive DC-link ($V_{DC}$) and the zero line through op-amps 1 and 2. This results in $Z_{HS}$ and $Z_{LS}$ in the output of the ODT block. Therefore, the high- and low-side switches are turned on by raising the edges of $Z_{HS}$ and $Z_{LS}$ in the steady state. For the initialization period, the switching voltage taken as the input signal $S$ is compared with its delayed $S_d$. The local maximum is detected when $S_d > S$ and the local minimum is detected when $S > S_d$. A voltage range called the middle range (M) is defined between $V_{Low}$ and $V_{Hi}$. It is considered 10% and 90% of $V_{DC}$, respectively, in order to define a margin for local extrema detection. This also prevents the influence of noise in extrema detection. Op-amps 3 and 4 determine whether the $V_f(t)$ is above $V_{Low}$ or below $V_{Hi}$. The amplitude of $V_f(t)$ is scaled down and called as signal $S$. A high-precision dual output comparator is used to compare $V_f(t)$ known as signals $S$ with its delayed signal $S_d$. The outputs of the ODT block are controlled by the digital block. The high-side MOSFET is turned on when $Z_{HS}$ or $Z_{MH}$

![Diagram](image-url)
TABLE I: SWITCHING VOLTAGE COMPARISON BETWEEN PAST RESEARCH AND OPTIMUM DEAD TIME METHOD

<table>
<thead>
<tr>
<th>State</th>
<th>Prior art</th>
<th>Optimum dead time</th>
</tr>
</thead>
<tbody>
<tr>
<td>Initialization time</td>
<td>DT longer than required</td>
<td>Sufficient DT</td>
</tr>
<tr>
<td></td>
<td>DT shorter than required</td>
<td>Sufficient DT</td>
</tr>
<tr>
<td>Steady state</td>
<td>Sufficient DT; not optimized</td>
<td>Sufficient DT</td>
</tr>
</tbody>
</table>

Fig. 9: Start-up period with fixed DT for (a) and (b). Switching voltage does not reach the rails. The resonant current is low in amplitude. (a) The PT’s input capacitor charges/discharges slowly. (b) $v_F(t)$ reaches a local extrema. (c) The ODT is applied to the start up to detect extrema.

Fig. 10: Circuit block diagram of ODT.
TABLE II: SWITCHING TURN ON TIME POINTS

<table>
<thead>
<tr>
<th></th>
<th>Prior art</th>
<th>Optimization</th>
</tr>
</thead>
<tbody>
<tr>
<td>Start up time</td>
<td>Fixed DT</td>
<td>Switching voltage reaches its extrema</td>
</tr>
<tr>
<td>Steady state</td>
<td>Fixed DT</td>
<td>Switching voltage reaches the rails</td>
</tr>
</tbody>
</table>

digitally becomes '1', and the low-side MOSFET is turned on when $Z_L$ or $Z_M$ becomes '1'. The control signal reset "R" turns off the switches once the allocated on time ends. However, "En" enables/disables the contribution of the ODT to the converter. Voltages $V_{DC}$, $V_{Hi}$, and $V_{Low}$ are scaled to the voltage level of the comparator’s input. The Boolean functions implemented for the outputs of the ODT are:

$$
\begin{align*}
Z_{ML} &= (S < V_{Hi}) \cdot (S > S_d) \\
Z_{MH} &= (S > V_{Low}) \cdot (S < S_d) \\
Z_{HS} &= (S > V_{DC}) \\
Z_{LS} &= (S < 0) \\
\end{align*}
$$

Furthermore, the functionality of the ODT block is shown through waveforms both in the steady state and the start-up time. Fig. 11 shows the signal waveforms in the start-up period related to Fig. 9c. Fig. 12 shows the signal waveforms for the steady state related to Fig. 4c.

Table I compares the ODT with the results of past work by providing a demonstration of switching voltage waveforms both during start up and in the steady state. Table II compares the switching voltage values from past research and the ODT.

IV. RESULTS

The experiments and simulation to establish the effectiveness of the proposed method were carried out by using a radial-mode piezoelectric transformer shown in Fig. 13, and with an equivalent circuit shown in Fig. 1a. The parameter values of the PT are shown in Table III. The PT resonant frequency was 116.3 kHz for the simulation with a resistive load of 300 Ω. Fig. 14 shows the simulation results in start-up transient time both for prior art [25] and for optimization state. By implementing optimum DT, a shorter initialization time was achieved in comparison with the results of past work. The top subfigure of Fig. 14 shows the result for a fixed DT chosen very close to the ODT in the steady state. The selected fixed DT shows almost the best case of setting the DT in past work in the area. The switching voltage $V_F$ reaches the positive rail in the eighth cycle. The bottom subfigure shows the simulation results by applying dynamic DT to each switching cycle. The switches are turned on by detecting the extrema of the switching voltage during start up. The switching voltage reaches the positive rail in the sixth cycle. A comparison of these two cases establishes the idea that the converter reaches the steady state more quickly by applying the ODT. Fig. 15 shows the board that was designed and used for the experiment.

Fig. 11: Signal waveforms, in the start-up, $Z_{MH}$ and $Z_{ML}$ turn on the $S_1$ and $S_2$ switches, respectively.

Fig. 12: Signal waveforms, in the steady state when ZVS is achieved; $Z_{HS}$ and $Z_{LS}$ turn on the $S_1$ and $S_2$ switches, respectively.
TABLE III: PT EQUIVALENT PARAMETERS

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
<th>Parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>$C_{d1}$</td>
<td>3.8 nF</td>
<td>$C_{d2}$</td>
<td>620 pF</td>
</tr>
<tr>
<td>$C$</td>
<td>565 nF</td>
<td>$R$</td>
<td>5.6 Ω</td>
</tr>
<tr>
<td>$L$</td>
<td>3.5 mH</td>
<td>$N$</td>
<td>3.5</td>
</tr>
</tbody>
</table>

Fig. 13: The Radial-mode piezolectric transformer used in experiments.

Fig. 14: Start-up period: Comparison of results of past work (top plot) with a fixed DT with the ODT (bottom plot). The driver reaches the steady state faster with ODT than previously proposed methods.

Fig. 15: ODT board used for experiments.

Fig. 16: Outputs of ODT block by detecting optimum dead time.

Fig. 16 shows the experimental results. In the result shown, input voltage is 4 V with a load of 300 Ω. The measurement is done in low voltage due to limitation of PT in terms of its power transfer capability. The implementation can be used for every input voltage if the desired power can be put through the PT. Fig. 16a shows waveforms at 118.7 kHz, when the ODT block detected an extrema, and Fig. 16b shows waveforms at 119.2 kHz, when the switching voltage reached the rails. A slight delay can occur from the time when the ODT is detected until the switches are turned on due to propagation delay in the gate driver. This time delay can be reduced by selecting a gate driver with lower propagation delay. In this setup, the propagation delay of the gate driver was 35 ns.

V. CONCLUSION

This paper dealt with the theory of dead time along with its necessity in resonant converters, particularly in inductorless PT-based SMPS. Moreover, the importance of selecting an appropriate dead time in order to avoid hard switching was explained. A new method was proposed and implemented to detect the optimum dead time in PT-based SMPS. However, this method can generally be used for any PT-based converter, even though it is implemented in an inductorless PT-based SMPS. The optimum dead time is obtained at any switching frequency and is updated during every cycle. Detecting the optimum dead time yields two advantages for power converters: reducing the start-up time of the converter in transient operation, and maximizing the turn-on time of switches in the steady state. Furthermore, experimental results and a simulation verified the effectiveness of the proposed method. The ODT is used due to its effective build up of resonant current through an optimized start up, minimization of dead time, the outstanding performance of the ZVS, and energy conservation during initialization. This results in greater efficiency.

A major disadvantage of using ODT is its complex control method, since an additional ODT block is required to be added to the converter. Furthermore, mixed analog and digital control techniques are needed to impose output signals of the ODT block into the gate voltages in every switching cycle.
REFERENCES


