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Three-Dimensional Super Resolution Imaging using a Row-Column Array

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Abstract—A 3-D super resolution (SR) pipeline based on data from a Row-Column (RC) array is presented. The 3 MHz RC array contains 62 rows and 62 columns with a half wavelength pitch. A Synthetic Aperture (SA) pulse inversion sequence with 32 positive and 32 negative row emissions are used for acquiring volumetric data using the SARUS research ultrasound scanner. Data received on the 62 columns are beamformed on a GPU for a maximum volume rate of 156 Hz, when the pulse repetition frequency is 10 kHz. Simulated and 3-D printed point and flow micro-phantoms are used for investigating the approach. The flow micro-phantom contains a 100 µm radius tube injected with the contrast agent SonoVue. The 3-D processing pipeline uses the volumetric envelope data to find the bubble’s positions from their interpolated maximum signal and yields a high resolution in all three coordinates. For the point micro-phantom the standard deviation on the position is (20.7, 19.8, 9.1) µm (x, y, z). The precision estimated for the flow phantom is below 23 µm in all three coordinates, making it possible to locate structures on the order of a capillary in all three dimensions. The RC imaging sequence’s point spread function has a size of 0.58 × 1.05 × 0.31 mm³ (1.17λ × 2.12λ × 0.63λ), so the possible volume resolution is 28,900 times smaller than for SA RC B-mode imaging.

I. INTRODUCTION

Ultrasound super resolution imaging (SRI) was introduced by a number of groups for increasing the resolution of ultrasound imaging beyond the diffraction limit [1–6]. The approach is based on injection of a diluted ultrasound contrast agent to enable tracking of individual bubbles. The centroids of the bubble signals are calculated, and their tracks are determined and displayed to show an image of the vasculature. This can reveal the micro vasculature down to vessel sizes of 10 µm [7]. The images are acquired over several seconds to minutes generating Gbytes of data. Currently most SRI is conducted using 1-D array probes due to the large amount of data, and that few scanners are capable of full 3-D imaging. The 2-D SR images therefore have a high resolution in the imaging plane, but localization in the elevation direction is not possible. 2-D SRI therefore displays a summation of vessels in the elevation plane.

Visualization of 3-D SR volumes has been performed by several groups using mechanically translated linear array probes [6, 8, 9], but such a setup does not make it possible to estimate the out-of-plane location. SR has also been made using two orthogonal probes for 3-D localization in a line [10], and mechanical scanning is needed to cover a full volume. A matrix probe is, thus, needed for avoiding mechanical scanning.

Currently, the largest research scanners have 1024 channels [11, 12], and they generate around 20-50 Gbytes/s of data for 3 MHz probes, only making short acquisitions possible and precluding the use of high-frequency probes. They can handle 2-D arrays with $32 \times 32 = 1024 = N^2$ elements, which have been fabricated with $\lambda/2$ pitch ($\lambda$ is the wavelength given by $c/f_0$, where $c$ is the speed of sound and $f_0$ is transducer center frequency). This makes them suitable for phased array imaging, but severely limits their focusing ability due to their small size and hence high F-numbers (imaging depth divided by the probe width).

The problem can be somewhat alleviated by using sparse arrays, and Harput et al. [13] recently used a 512 elements sparse 2-D array based on a spiral pattern to acquire full 3-D SR imaging. Two 256 channels research scanners [14] were used for scanning of 200 µm cellulose tubes with a final localization precision of 18 µm. The main drawback of this approach is the many transducer channels needed to avoid grating lobes and the corresponding large amounts of data generated per second. Further, the probe is quite small ($\varnothing$ 10.4 mm), as it has to be nearly fully populated to avoid side and grating lobes, limiting the possible F-numbers.
An new approach is therefore needed for 3-D SR volumetric imaging. One possibility for reducing the number of elements by a factor of $N/2$ is the employment of Row-Column (RC) arrays as introduced by Morton and Lockwood [15], and later investigated by a number of groups [16–20]. Here, the array is addressed by either its rows or columns, and imaging can be conducted using synthetic aperture (SA) imaging schemes [21] for both a high resolution, deep penetration depth, and high volume rate. Furthermore, RC SA imaging schemes can have a low mechanical index due to the emission of cylindrical waves, making them ideally suited for contrast agent imaging. The RC arrays can be made large without having an excessive amount of elements, making it possible to both have low F-numbers for high resolutions and still have modest data rates from the arrays.

This paper presents a 3-D SR imaging method using a prototype 62 + 62 RC array [22] connected to the SARUS research scanner [11]. Two 3-D printed micro phantoms are used for validating the approach along with simulation of a point phantom. The precision of the pipeline is revealed from these simulations and measurements.

II. METHODS

This Section describes the various methods used in the 3-D SR pipeline including the imaging scheme, processing pipeline, and statistical evaluation.

A. Imaging sequence and processing

The imaging sequence was optimized for a 62+62 RC PZT 3 MHz experimental probe with dimensions given in Table I. The probe includes a mechanical apodization at each end of the elements to reduce edge element artifacts as described in previous publications on the probe [19–22]. The volumetric RC SA imaging scheme consists of 32 virtual focus lines using 32 active elements per emission. An F-number of −1 was used for emitting de-focused line sources with the focal point placed behind the probe surface and with a Hanning weighting to reduce side-lobes. The 32 different virtual lines were placed to generate a sliding aperture imaging sequence across the rows. Transmission were only made with the rows and reception was made with the column elements, resulting in 62 signals to be stored per emission. Pulse inversion imaging was conducted by emitting two 2 cycle sinusoidal 3 MHz waves, one positive and one negative, for each virtual line source. The imaging sequence was implemented on the the SARUS experimental scanner [11], with a transmit sampling frequency of 70 MHz. The receive sampling frequency was 23.7 MHz to preserve the second harmonic component in the signal.

Each emission was beamformed using a MATLAB based GPU beamformer [23] to generate a low resolution volume (LRV). The 32 different LRVs were summed to reveal a high resolution volume (HRV). A simplified schematic of the sequence can be seen in Fig. 1. The positive +LRV(1:32) and negative -LRV(1:32) beamformed emissions were summed to reveal a second harmonic HRV using pulse inversion. This data was then passed to the SRI processing pipeline described in Section II-B. The pulse repetition frequency ($f_{prf}$) was 10 kHz, and a pause of 10 ms was inserted between volumes to reduce the memory usage and extend the duration of the acquisition. The Mechanical Index (MI) of the sequence was determined to be 0.2 at 12 mm from the probe surface, which is the location of the micro-phantom flow channel. The actual MI in the phantom is probably slightly lower due to the attenuation in the phantom.

Three sets of measurements were performed using a precision translation stage. The RC probe was mounted on a Newport PG Series floating optical table (Irvine, California) for stability with the micro-phantoms mounted on a Newport PG Series floating optical table. These were used to align both micro-phantoms with the imaging axis, and to generate translation in the $x$–$y$ plane used for the validation described in Section III-B.

B. Processing pipeline

The processing pipeline consists of several stages. The first step is to beamform the stored RF data from the SARUS scanner using the beamforming strategy described by Rasmussen et al. [19, 21] implemented in Matlab and running on an Nvidia GeForce GTX 1050 Ti (Nvidia, Santa Clara, CA, USA) [23]. A volume with a size of $\pm 15\lambda$ in both the $x$ and $y$ directions are beamformed with a line density of $\lambda/2$ and covering the depth of the phantom. The sampling density in the $z$ direction is

<table>
<thead>
<tr>
<th>Parameters</th>
<th>62+62 RC</th>
</tr>
</thead>
<tbody>
<tr>
<td>Number of elements</td>
<td>62+62</td>
</tr>
<tr>
<td>Center frequency $f_0$</td>
<td>3 MHz</td>
</tr>
<tr>
<td>Wavelength $\lambda$</td>
<td>$513 , \mu m$</td>
</tr>
<tr>
<td>Kerf</td>
<td>$25 , \mu m$</td>
</tr>
<tr>
<td>Pitch</td>
<td>$270 , \mu m \approx (\lambda/2)$</td>
</tr>
<tr>
<td>Apodization region length</td>
<td>$4.05 , mm$</td>
</tr>
<tr>
<td>Element length</td>
<td>$24.84 , mm$</td>
</tr>
<tr>
<td>Total Active Surface area</td>
<td>$282.2 , mm^2$</td>
</tr>
</tbody>
</table>
$\lambda/16$. A matched filter is applied on the received signals. It is designed using the measured impulse response of the probe to match the first harmonic signal found in the linearly simulated data. The same filter is also used for PSF phantom. The positive and negative emissions are then subtracted to increase the signal-to-noise ratio (SNR). For the flow micro-phantom the second harmonic signal is employed, the filter is matched to this, and the two emissions are added. The full LRV is beamformed for all emissions with an F-number of 1.5 in transmit and 1 in receive with a dynamic Hanning apodization weighting the elements, and all emissions are added to generate the HRV. The mean value of the first 20 HRVs are averaged and subtracted from the processed HRVs to remove stationary objects in the processing. The envelope of the HRV is then found using a Hilbert transform and log compressed to a 40 dB dynamic range in relation to the data in the volume for finding locations.

The peak location can either be found from calculation of the centroid of a global maximum, or the peak location can be interpolated to increase the location accuracy. Experimentation with the data has shown that the interpolation scheme is the most stable and accurate method, and this is the one used in this paper.

The second stage finds bubble locations by interpolating the peak position by fitting a second order polynomial to the data and then finding its interpolated location can either be found from calculation of the centroid of a global maximum, or the peak position by fitting a second order polynomial to the data and then finding its interpolated maximum position $x_i$, as:

$$x_i = i - \frac{0.5(d(i+1,j,k) - d(i-1,j,k))}{d(i+1,j,k) - 2d(i,j,k) + d(i-1,j,k)}$$

where $i,j,k$ are the indices of the maximum and $d$ is the envelope data for the volume. This is conducted in all three coordinates $x_i,y_j,z_k$ with similar equations for an increased resolution in all three directions.

The third step used only on the point micro-phantom finds contiguous tracks of target locations. A target in a first HRV is used as a reference point, and the adjacent HRV is searched to find a detected target location lying within a radius of $r = v_s/f_r$ from the reference, where $f_r$ is the volume rate and $v_s$ is the maximum search velocity, where $v_s = 10$ mm/s was used. The track is terminated, if no target is found, and the whole track is discarded, if it does not contain more than 200 contiguous locations. No tracks were formed for the micro-flow phantom due to the high velocity employed, and all bubble locations in all images are shown in Section III-C.

C. Simulations and measurement phantoms

The method is evaluated using both simulations and measurements from two 3-D printed micro-phantoms, which are all described in this Section. The penetration depth is also determined from measurements on a tissue mimicking phantom with a 0.5 dB/[MHz cm] attenuation.

1) Simulation of 3-D SRI system: The SA RC sequence has been simulated using Field Iipro [24–26] to generate reference data, where the positions of the scatterers are known in the volume. The phantom contains a number of point targets located at a depth of 5, 15, and 25 mm at the center axis of the probe. It is used for determining the point spread function (PSF) of the imaging method.

2) Fabrication of micro-phantoms: Two micro-phantoms have been made and used for validating the approach. Both have been fabricated by 3-D printing of a PEGDA 700 g/mol hydrogel using stereo-lithography. The phantoms measure $21.1 \times 8.16 \times 11.9$ mm$^3$, and the voxel size of the printer is $(\Delta x, \Delta y, \Delta z) = 10.8 \times 10.8 \times 20$ µm$^3$. More information about the fabrication process can be found in [27].

The first point phantom contains eight markers with a size of $10.8 \times 10.8 \times 20 = 233$ µm$^3$. The marker sizes are in all dimensions smaller than the imaging wavelength of 500 µm for the RC probe used, resulting in markers appearing as single targets in the B-mode volume. The markers are positioned with a minimum distance of 3 mm to ensure a clear separation of the reflected signals. The phantom is moved relative to the ultrasound probe using the $x-y$ translation stage in two experiments, one along $x$ and one along $y$. An inter-volume movement of 12.5 µm is used to emulate a constant velocity of 1.95 mm/s at 156 Hz. After each movement the positions of the markers are determined and tracks for the targets are made.

The second flow micro-phantom contains a single cylindrical 100 µm radius channel placed 3 mm from the top surface of the phantom. After a 5.8 mm long
inlet, the channel bends 90° into a 7 mm long central region before bending 90° again into the 5.8 mm outlet. The flow channel was infused at 1.61 µL/s with Sonovue (Bracco, Milano, Italy) in a 1:10 dilution giving a peak velocity of 102.4 mm/s.

D. Statistical evaluation

The bubble locations are randomly distributed in the flow micro-phantom tube due to noise in the localization estimation, and some of them will appear to be located outside the phantom wall. The distribution of positions found can then yield an estimate of the localization precision. An estimate of the y – z and x – z precision can be obtained from the two straight segments of the 200 µm channel phantom. In the straight segments a line is fitted to the data and considered an estimate of the center of the channel, and the distance from each bubble to the center is calculated. Assuming the measurement uncertainty in each dimension is normal distributed, the radial distribution of all bubbles in the segment will follow the distribution

\[ f(r) = 2\pi r \int_{|r_i|<R} \frac{1}{\pi R^2} \frac{1}{2\pi \sigma^2} \exp\left(\frac{-|\vec{r}-\vec{r}_i|^2}{2\sigma^2}\right) d^2\vec{r}_i \]  
(2)

where \( r \) is radial position, \( R \) is the radius of the tube, and \( \sigma \) is the standard deviation of the uncertainty. The integral is a convolution of a constant density \( (1/(\pi R^2)) \) with a two-dimensional Gaussian. The non-analytical integral (2) is estimated in a Monte-Carlo calculation and is a Rayleigh distribution convolved with a uniform disk distribution of radius \( R = 100 \) µm. The factor \( 2\pi r \) is the Jacobian needed to convert from Cartesian to cylindrical coordinates. The fraction of bubbles estimated to fall outside the tube can then be translated into an estimate for the standard deviation \( \sigma \) (localization precision), as is performed in Section III-C1

III. RESULT

A. Imaging performance

The performance of the imaging scheme has both been simulated and measured. The response from several point scatterers were simulated using Field II, and the FWHM was determined for the first harmonic signal to be \( \text{FWHM}_x, \text{FWHM}_y, \text{FWHM}_z = 0.58 \times 1.05 \times 0.31 \) mm \( = (1.17\lambda \times 2.12\lambda \times 0.63\lambda) \) at a depth of 15 mm. The receive F-number is 1, so the PSF is close to the theoretical limit of \( \lambda \). The transmit F-number is 1.5 and, thus, gives a slightly wider PSF in the y-direction along emissions.

The penetration depth of the scheme was determined using a uniformly scattering phantom model 571 (Danish Phantom Service, DK-3600 Frederikssund, Denmark) with a speed-of-sound of 1540 m/s and a uniform attenuation of 0.5 dB/[MHz cm]. Determining the SNR from ten independent measurements gave a penetration depth of 14 cm (SNR=0 dB).

B. Validation in point micro-phantom

Fig. 2 shows the cumulative localized positions of 3-D printed markers within the micro phantom acquired over 640 beamformed volumes at the emulated speed of 1.95 mm/s. The top figure shows movement in the x-direction and in the y-direction at the bottom. Seven markers have been detected and are shown as colored points. The eighth marker was too weak to be detected. Lines are fitted to the positions using a least squares fit, as shown in Fig. 3 for one of the tracks. The deviations

Fig. 2. Tracks estimated from mechanical translation of the PSF micro phantom where the colors indicate detected positions. The top graph is for translation in the x-direction and bottom for translation in y.
Fig. 3. Deviations calculated for one of the tracks, when a line has been fitted to the data. The bottom graph shows the estimated target locations, and the top graph shows the deviations in $x$ and $z$, when the line has been subtracted from the target position.

from the fitted line are calculated and the standard deviations is estimated to $(\sigma_x, \sigma_y, \sigma_z) = (20.7, 19.8, 9.1) \ \mu m$, when taking the average across all tracks.

C. 3-D SRI imaging

The measured data from the flow micro-phantom acquired from 400 frames of the SA imaging sequence has been processed by the SR pipeline, including beamforming and detection of bubble locations, using the interpolation scheme in (1). A 3-D view of the detected bubbles is shown in Fig. 4, where each blue dot is a detected bubble. The geometry of the phantom can clearly be seen.

1) Precision of bubble locations: Bubbles in the central part of the phantom ($-2 \text{ mm} < x < 2 \text{ mm}$) have been selected for estimating the localization precision in the $y-z$ plane as shown on the top in Fig. 5, where blue crosses indicate bubbles used for this estimation. Center lines for all selected bubbles are estimated with a least square fit as shown in Fig. 6. The channels center depth is at 12.0 mm from the probe, and the channel is slightly rotated in the $x-y$ plane (57 $\mu m$ tilt of $x-y$ line in the top graph). These lines are used for calculating the radial positions of the bubbles in the vessel, as shown on the bottom figure in Fig. 5. Here, a blue cross indicates bubbles inside the vessel, and a red circle indicates bubbles outside of the vessel boundary, shown as the solid red line ($r=100 \mu m$). The same graph for the $x-z$ plane is shown in Fig. 7, where the outlet part of the vessel has been employed for finding the precision ($-5.5 \text{ mm} < y < -1 \text{ mm}$).

The fraction of bubbles estimated to fall outside the tube can then be translated into an estimate for the standard deviation as described in Section II-D. The fitted distribution for the bubble locations in the $y-z$ plane is shown in Fig. 8. For the $y-z$ plane 13% of the...
Fig. 6. Fitted line for calculating the center position of the vessel in the phantom in the \(y-z\) plane.

bubbles fall outside the tube, which leads to a position uncertainty of 16.5 \(\mu\)m. Similarly, for the \(x-z\) plane 18% of the bubbles are estimated to fall outside the tube, which leads to a position uncertainty of 23 \(\mu\)m.

IV. DISCUSSION

A method for 3-D super resolution imaging has been developed based on a RC array and a pulse-inversion SA imaging sequence using 32 positive and negative emissions. A full volume is, thus, created in 64 emissions for a possible volume rate of 156 Hz at \(f_{prf} = 10\) kHz, and the modest number of emissions makes it possible to have a 100 Hz volume rate down to a depth of 12 cm. The 3 MHz array’s penetration depth is 14 cm due to its low frequency and fairly large size (\(31\lambda \times 31\lambda\)). Only 62 elements were employed during receive, making it possible to implement the approach on a standard ultrasound console with the advantage that a limited amount of data is generated. A \(\lambda/8\) sampling density on the receiving elements can be employed and will continuously generate 2.9 Gbytes/s, which is well within reach of modern ultrasound research scanners [11, 14, 28–30]. This is significantly less than for a fully populated array, where a \(32 \times 32\) array yields 49 Gbytes/s for an array with one fourth the area of the RC probe used here.

The attained precision of the schemes was investigated using both a point micro-phantom and a flow micro-phantom with a 200 \(\mu\)m diameter tube. The point phantom yielded a localization precision of (20.7, 19.8, 9.1) \(\mu\)m in the \(x, y, z\) coordinates. The flow micro-phantom yielded an estimated radial precision of 16.5 \(\mu\)m in the \(y-z\) plane, and 23 \(\mu\)m in the \(x-z\) plane. Assuming the coordinate precisions are independent, the radial precision would be 15.4 \(\mu\)m in the \(y-z\) plane, and 16.0 \(\mu\)m in the \(x-z\) plane. When using the estimated precisions from the point phantoms. The \(10.8 \times 10.8 \times 20\)
The micro-phantom is used to prevent clogging of the phantom. This currently prevents the formation of tracks in the SR pipeline as is done for the PSF micro phantom, but further experiments should be conducted to lower the velocity, and maybe introduced a phantom with less sharp bends to prevent clogging. No efforts have been made to reduce false detections in the SR pipeline. Forming long tracks can significantly reduce the number of false detections, and this could potentially improve the precision of the location estimates.

The numbers of bubbles used here was sparse to make isolation easier. The acquisition length could be reduced, if more detections could be made per second. Methods for increasing the number of bubble detections have been the topic of a number of articles [36–38]. Such approaches can also be employed here, as full RF data are acquired and can be processed using more advanced schemes.

The RC array can also be improved. The current array is a 5-years old prototype PZT array with only 62 elements. The array has 8 non-functioning row elements and is slightly curved with a deviation around 0.1λ from a flat surface. This introduces phase errors and impedes image contrast. Other more advanced focusing schemes, like matched filter focusing, could also be used for increasing contrast [21, 39]. It is also possible to optimize the emission sequence for contrast agent enhancement, where amplitude modulation potentially could be used [40–42], and it could also be possible to optimize the imaging sequence with fewer emissions for yielding less data and higher volume rates [43]. Adding more elements to the probe can also increase resolution and thereby reduce acquisition time, as more bubbles can be separated. Early investigations have been made for a 192 + 192 RC array and showed an increased resolution proportional to the F-number and wavelength [44]. Such arrays can directly be used on modern ultrasound consoles with few modifications in the beamforming.

The approach can fairly easily be translated to clinical use by modifying our current 2-D super resolution pipeline to include searches and localizations in 3-D [34, 35]. The motion correction schemes developed for 2-D imaging and needed for in-vivo imaging can then also be applied [34]. The main clinical applications could be superficial structures, where the F-number in beamforming can be kept low. The penetration depth is 14 cm for this array and imaging scheme, which is beneficial for larger organs like the liver. The bubble density would have to be reduced for reliable detection, and the imaging region will only be within the rectilinear area of the probe. This can potentially be alleviated by using a lens in front of the array [45].

A first in-vivo target would be to scan a rat kidney as performed in [34, 35]. The acquisition time was between 1 and 10 minutes for a 2-D image, with 1 minute giving an overall rough view of the vasculature and 10 minutes giving precise quantitative data for the blood flow. We predict that the same scan times can be kept with the method presented here for a full volume, and maybe with a shorter time when employing more advanced SRI [36–38].

The high resolution will also give some future challenges. The RC array can image a volume of $31\lambda \times 31\lambda \times 280\lambda$, which, with a voxel size of $(10\mu m)^3$, would yield 33 G Voxels. This might give some challenges in the display of such data.

V. Conclusion

A method for 3-D SRI has been investigated, where a 62+62 RC array was employed. A detection precision
better than 23 $\mu$m was attained in all three coordinates for both the SonoVue contrast agent flowing in a micro-phantom and the point micro-phantom. The precision was obtained using 1/8 of the elements employed in previous 3-D SRI, which reduces both the storage and processing demands by a factor of eight. The approach yielded an increase in volumetric resolution by a factor of more than 28,900 with a possible penetration depth of more than 140 mm$^3$ can be resolved with a voxel size of $(10\mu$m)$^3$.

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medical imaging at the Technical University of Denmark. His research is centered around simulation of ultrasound imaging, synthetic aperture imaging, vector blood flow estimation, 3-D and super resolution imaging, row-column probes, and construction of ultrasound research systems. He has educated 41 PhD students and currently advises 17 PhD students. Dr. Jensen has given more than 60 invited talks at international meetings and received several awards for his research, most recently the Grand Solutions Prize from the Danish Minister of Science, the order of the Dannebrog by her Majesty the Queen of Denmark, and the Rayleigh award from the UFFC Society in the field of Ultrasonics in 2019.

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