Dispersive and Covalent Interactions between Graphene and Metal Surfaces from the Random Phase Approximation

Olsen, Thomas; Yan, Jun; Mortensen, Jens Jørgen; Thygesen, Kristian Sommer

Published in:
Physical Review Letters

Link to article, DOI:
10.1103/PhysRevLett.107.156401

Publication date:
2011

Document Version
Publisher's PDF, also known as Version of record

Citation (APA):
Dispersive and Covalent Interactions between Graphene and Metal Surfaces from the Random Phase Approximation

Thomas Olsen,* Jun Yan, Jens J. Mortensen, and Kristian S. Thygesen

Center for Atomic-Scale Materials Design, Department of Physics, Technical University of Denmark, DK–2800 Kongens Lyngby, Denmark

(Received 27 June 2011; published 3 October 2011)

We calculate the potential energy surfaces for graphene adsorbed on Cu(111), Ni(111), and Co(0001) using density functional theory and the random phase approximation (RPA). For these adsorption systems covalent and dispersive interactions are equally important and while commonly used approximations for exchange-correlation functionals give inadequate descriptions of either van der Waals or chemical bonds, RPA accounts accurately for both. It is found that the adsorption is a delicate competition between a weak chemisorption minimum close to the surface and a physisorption minimum further from the surface.

DOI: 10.1103/PhysRevLett.107.156401

The recent experimental realization and characterization of isolated graphene sheets [1,2] have boosted a major interest in this novel two-dimensional material. The most prominent feature is perhaps the band structure, which exhibits linear dispersion near the Fermi level resulting in a relativistic behavior of the charge-carrying quasiparticles [3]. In particular, graphene shows a remarkably high intrinsic carrier mobility, and therefore seems very well suited for nanoscale electronics devices. For such applications, the coupling to metal contacts plays a fundamental role and measurements show that graphene binds very differently on various metal surfaces. Understanding the interactions between graphene and metal surfaces therefore becomes a most important task since the adsorption geometry and bond distance may have drastic consequences for the electronic structure and transport properties of adsorbed graphene layers. For example, Pd(111), Co(0001), and Ni(111) have been demonstrated to induce a band gap in adsorbed graphene sheets, which signals a covalent bond with the metal [4–6]. In contrast, adsorption on Cu(111), Ag(111), Au(111), and Pt(111) do not change the graphene band structure significantly [7–9]. Furthermore, graphene represents a prototypical example of a π-conjugated system. Unraveling the coupling mechanism to different metal surfaces could therefore possibly improve the understanding of adsorption mechanisms for a large variety of organic molecules on metals.

Previous attempts to simulate the interaction between metal surfaces and graphene [10,11] have employed density functional theory (DFT) with various approximations for the exchange-correlation functional [12]. The local density approximation (LDA), reproduces the strong binding at Pd(111), Co(0001), and Ni(111) surfaces [10,13], whereas the binding to Cu(111) depends on whether graphene is stretched to match the Cu lattice constant or Cu is squeezed to match the graphene lattice constant. Furthermore, the generalized gradient approximation (GGA), which supposedly improves the LDA description, gives significantly different results than the local density approximation, and the LDA bonding therefore seems to be fortuitous rather than contain the essential physics. In this respect, the major shortcoming of the semilocal functionals is the lack of van der Waals interactions, which are expected to be important for the adsorption of graphene on metals. On the other hand, applying the van der Waals functional (vdW-DF) [14] results in a shallow physisorption minimum at all metal surfaces [11], which can be traced to the inaccurate description of covalent bonds with this functional [15]. Adsorption of graphene at metal surfaces thus represents an electronic structure problem where both LDA, GGAs, and the vdW-DF fail due to the detailed balance between covalent and dispersive interactions.

In this Letter we go beyond the semilocal and vdW-DF approximations for exchange and correlation and combine exact exchange (EXX) with a correlation energy obtained from the random phase approximation (RPA). This functional has been shown to give an accurate description of both van der Waals interactions and covalent bonds [16–20] as well as adsorption of molecules on metal surfaces [21]. We perform simulations of graphene adsorbed on Cu(111), Co(0001), and Ni(111) and show that binding distances are in good agreement with experiments.

Using the adiabatic connection and fluctuation-dissipation theorem (ACDF), the correlation energy can be evaluated in the random phase approximation as

\[ E_{\text{RPA}} = \int_0^{\infty} \frac{d\omega}{2\pi} \text{Tr}[\ln(1 - \nu \chi_{\text{KS}}(i\omega)) + \nu \chi_{\text{KS}}(i\omega)] \]

where \( \chi_{\text{KS}} = \chi_{\text{KS}}^0 + \chi_{\text{KS}}^1 \) is the Kohn-Sham response function and \( \nu \) is the Coulomb interaction. To get total energies we combine the RPA correlation energy with the exact exchange energy, which we obtain from
The calculations were performed with GPAW [22–24], which is a density functional theory code using the projector augmented wave method [25] and uniform real-space grids. The response function and Hartree-Fock energy were calculated in a plane wave basis after having Fourier transformed the real-space wave functions [26]. All self-consistent calculations were carried out with a grid spacing of 0.18 Å. For the exact exchange energy we used a plane wave cutoff of 870 eV and for the response function we used a cutoff of 150 eV. The number of bands included in the response function was set equal to the number of plane waves defined by the cutoff energy. We tested a few RPA energy differences using a 200 eV cutoff and found that the results were converged to within ~2 meV per carbon atom. The metal surface was simulated using four layers where the two top layers were relaxed using the PBE functional and we checked that the results obtained with LDA and vdW-DF do not change if the slab thickness is increased to six layers. The graphene lattice constant \( a = 2.46 \) Å was scaled to fit the experimental minimal surface unit cell of the metals, which have side lengths of 2.49, 2.51, and 2.56 Å for Ni, Co, and Cu, respectively. Because of the nonlocal nature of the correlation energy a large amount of vacuum is needed in the nonperiodic direction and we found that the calculations are converged when the metal slabs were separated by 20 Å of vacuum. We also checked that the graphene sheet maintains its planar structure by varying the distances between the two C atoms and the metal slab separately. For the Ni(111) and Co(0001) slabs the calculations were spin polarized. A \( 12 \times 12 \) gamma-centered \( k \)-point mesh was used for Ni and Co, whereas an \( 8 \times 8 \) grid was sufficient for Cu, but we return to the issue of \( k \)-point convergence below. With these parameters, the calculation of a spin-polarized RPA correlation energy is \( \sim 200–300 \) times more time consuming than a standard LDA/GGA calculation.

The potential energy surfaces for graphene on Cu(111), Co(0001), and Ni(111) are shown in Fig. 1. The C atoms were fixed at a top and a fcc hollow site for Cu and Ni and top and hcp hollow for Co. vdW-DF gives almost identical binding for the three metals with a minimum at \( d = 3.7 \) Å and a binding energy of \( \sim 40 \) meV per C atom. LDA shows strong binding at \( d \approx 2.0 \) Å on all three surfaces and PBE
gives rise to weak binding at the Co(0001) surface only. We note that the LDA result for Cu(111) depends strongly on the choice of lattice parameter and graphene becomes weakly coupled to the surface if one compresses Cu to match the lattice parameter of graphene [10,13]. Such qualitative differences are not observed with PBE, vdW-DF, or RPA. For the Cu(111) surface, RPA predicts a physisorption minimum at \( d = 3.25 \) Å with a binding energy of 62 meV per C atom. While there are no direct experimental measurements for graphene on pure Cu(111), the result is in good agreement with experimental studies where Cu was intercalated between graphene adsorbed on Ni(111), resulting in the graphene sheet becoming weakly coupled to the metal [8,27]. In contrast, graphene has been found to adsorb on both Ni(111) and Co(0001) in registry with the minimal surface unit cell. This is due to the close match of lattice parameters between graphene and these surfaces, and PBE calculations confirm that the stretching energy needed for graphene to match the minimal unit cell is smaller than the calculated binding energy. In Co and Ni the \( d \) band straddles the Fermi level and hybridization with the graphene \( \pi \) bands makes it possible to form stronger chemical bonds at these surfaces. This is indeed what we find with the RPA functional. A physisorption minimum at \( d = 3.25 \) Å is still observed at both surfaces, but there is also a competing chemical interaction closer to the surface. The RPA functional captures both effects and the calculated potential energy surface can be regarded as a result of these competing binding mechanisms. At the Co(0001) surface, RPA predicts a global minimum at \( d = 2.3 \) Å, which is in good agreement with the experimental binding distance [4]. The minimum represents a chemical bound state with a binding energy of 86 meV per C atom. The physisorbed state is observed as a weak local minimum at \( d = 3.25 \) Å and is situated 12 meV higher than the chemisorbed state. In the case of Ni(111) the physisorbed state at \( d = 3.25 \) Å has a slightly lower energy (8 meV) than the chemisorbed state at \( d = 2.3 \) Å. The experimental binding distance for graphene on Ni(111) ranges from \( d = 2.1 \) Å [28] to \( d = 2.8 \) Å [29] and while band structure measurements indicate that the value is probably closer to the former [6,11,30], the disagreement could suggest a broad flat minimum in the potential energy surface as predicted by the RPA functional. Finally, it should be noted that the RPA potential energy surface matches the vdW result for large distances in all three cases, which demonstrates the excellence of vdW-DF when dealing with pure van der Waals forces.

Although the binding energy is not much larger than typical thermal fluctuations at room temperature (~ 25 meV), graphene sheets are stabilized towards desorption when the number of atoms becomes large. This is due to the infinitesimal probability that a thermal fluctuation with the required amount of energy has a momentum distribution, which coherently translates the entire graphene sheet orthogonal to the surface.

Since the binding energy of the physisorbed and chemisorbed states at Ni(111) is only marginally separated in energy, we have checked if a denser \( k \)-point sampling could change the preferred binding distance. The energy difference \( E(d = 2.25 \) Å) \(- E(d = 3.0 \) Å) is shown as a function of \( k \)-point sampling in Fig. 2. The result is seen to be well converged at \( 16 \times 16 \) \( k \) points where the energy difference is 4 meV (in favor of the physisorbed state). However, such a small energy difference is beyond the accuracy of the RPA functional and it cannot be concluded.
that the physisorbed state is the preferred one. Figure 2 also confirms the rapid convergence of $E_{HF} + E_{\text{RPA}}$, despite the fact that either functional exhibits rather slow convergence.

The expected chemisorption minimum at $d = 2.1$ Å for Ni(111) [28] is not reproduced by RPA. However, it is well known that RPA tends to underestimate atomization energies for molecules [31] and this trend has also been observed for adsorption of CO on various metal surfaces [21] (underbinds by $\sim 0.1$ eV). On the other hand, RPA accurately describes the van der Waals interaction between graphene layers [18], but underestimates the atomization energies of inert solids [17] (underbinds by $\sim 0.01$ eV). One could thus expect that the physisorption minimum for graphene on metals is rather well described by RPA, whereas the chemisorption minimum is most likely underestimated. This deficiency has been shown to be partly cured by inclusion of second order screened exchange [32] and self-consistency corrections [33]. In the present case, a correction of the RPA underbinding would therefore most likely lead to the energy of the chemisorption minimum being lowered compared to the physisorbed state. For Ni(111), this would change the global minimum to the chemisorbed state.

Contrary to the physisorbed state at Cu(111), the chemical interaction for graphene on Ni(111) and Co(0001) is expected to be highly site dependent and this is indeed observed. The RPA potential energy surface has been calculated for Ni(111), where the C atoms were put at the fcc and hcp hollow sites instead of a top and fcc hollow site. The result then resembles the RPA potential energy surface for graphene on Cu(111) with a distinct physisorption site. The result then resembles the RPA potential energy surface for graphene on Cu(111), Ni(111), and Co(0001) using the RPA method. The potential energy surfaces are very different from those obtained with local and van der Waals approximations for the exchange-correlation energy and clearly show the detailed balance between dispersive and chemical interactions.

This work was supported by the Danish Center for Scientific Computing. The Catalysis for Sustainable Energy initiative is funded by the Danish Ministry of Science, Technology, and Innovation. The Center for Atomic-scale Materials Design is sponsored by the Lundbeck Foundation.

---

*tolsen@fysik.dtu.dk


[15] Different flavors of van der Waals functionals have been shown to yield improved results, but the binding distance is highly sensitive to the choice of functional for the exchange.


[22] The GPAW code is available as a part of the CAMPOS software: http://www.camd.dtu.dk/Software.


